

## UNIVERSITY OF CAMBRIDGE INTERNATIONAL EXAMINATIONS International General Certificate of Secondary Education

	CANDIDATE NAME				
	CENTRE NUMBER	CANDIDATE NUMBER			
* 4 3	MATHEMATICS		0580/41		
3 8	Paper 4 (Extende	ed)	May/June 2011		
7 0			2 hours 30 minutes		
°°	Candidates answ				
562*	Additional Materia		Geometrical instruments Tracing paper (optional)		

## READ THESE INSTRUCTIONS FIRST

Write your Centre number, candidate number and name on all the work you hand in.Write in dark blue or black pen.You may use a pencil for any diagrams or graphs.Do not use staples, paper clips, highlighters, glue or correction fluid.DO NOT WRITE IN ANY BARCODES.

Answer all questions.

If working is needed for any question it must be shown below that question.

Electronic calculators should be used.

If the degree of accuracy is not specified in the question, and if the answer is not exact, give the answer to three significant figures. Give answers in degrees to one decimal place. For  $\pi$  use either your calculator value or 3.142.

At the end of the examination, fasten all your work securely together. The number of marks is given in brackets [] at the end of each question or part question. The total of the marks for this paper is 130.

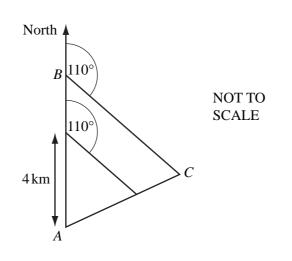
This document consists of 16 printed pages.



1 A school has a sponsored swim in summer and a sponsored walk in winter. For In 2010, the school raised a total of \$1380. Examiner's Use The ratio of the money raised in summer: winter = 62:53. (a) (i) Show clearly that \$744 was raised by the swim in summer. Answer (a)(i) [1] (ii) Alesha's swim raised \$54.10. Write this as a percentage of \$744. Answer(a)(ii) %[1] (iii) Bryan's swim raised \$31.50. He received 75 cents for each length of the pool which he swam. Calculate the number of lengths Bryan swam. Answer(a)(iii) [2] (b) The route for the sponsored walk in winter is triangular. North /  $110^{\circ}$ В NOT TO SCALE A (i) Senior students start at A, walk North to B, then walk on a bearing  $110^{\circ}$  to C. They then return to A. AB = BC.Calculate the bearing of A from C. Answer(b)(i) [3]







AB = BC = 6 km.

Junior students follow a **similar** path but they only walk 4 km North from *A*, then 4 km on a bearing  $110^{\circ}$  before returning to *A*.

Senior students walk a total of 18.9 km.

Calculate the distance walked by junior students.

Answer(b)(ii) km [3]

(c) The total amount, \$1380, raised in 2010 was 8% less than the total amount raised in 2009.Calculate the total amount raised in 2009.

*Answer(c)* \$ [3]

For

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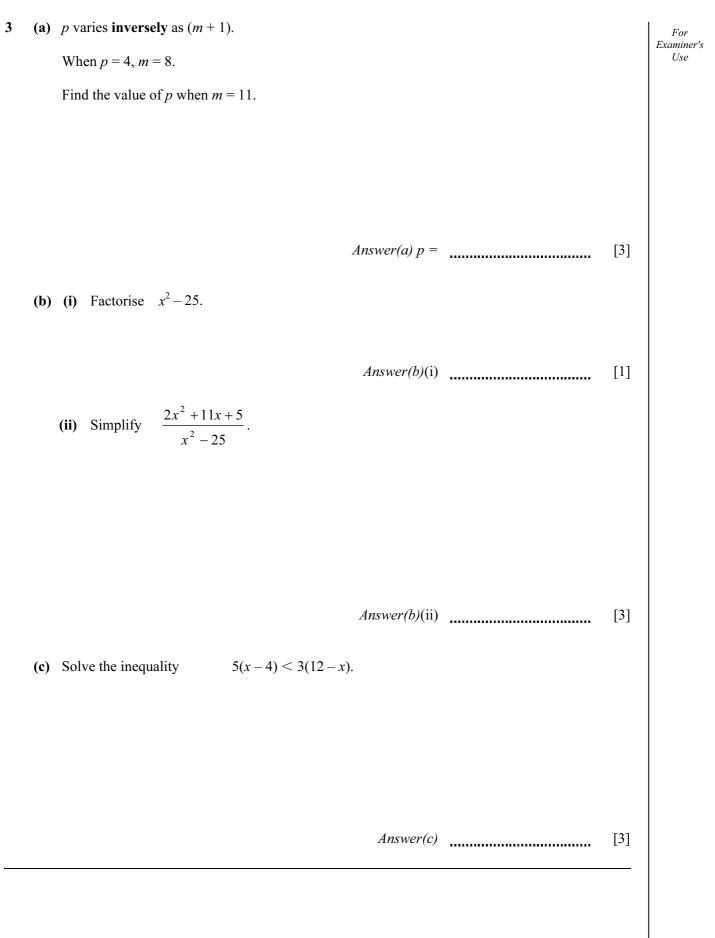
## 2 In this question give all your answers as fractions.

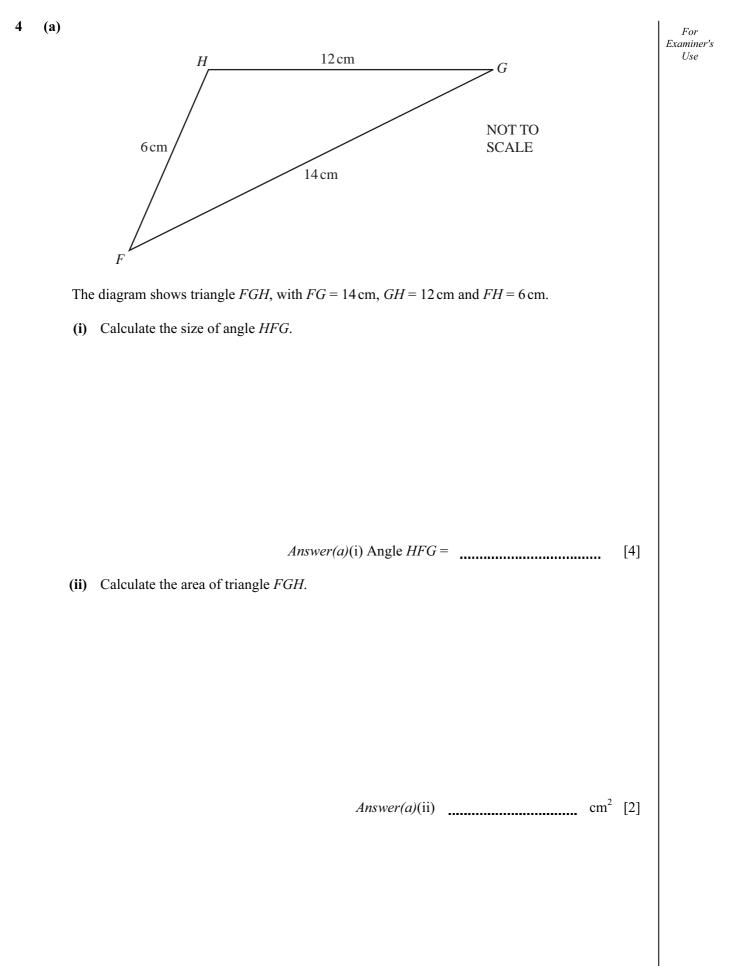
The probability that it rains on Monday is  $\frac{3}{5}$ . If it rains on Monday, the probability that it rains on Tuesday is  $\frac{4}{7}$ . If it does not rain on Monday, the probability that it rains on Tuesday is  $\frac{5}{7}$ . (a) Complete the tree diagram. Monday Tuesday - Rain – Rain No rain ..... - Rain ..... No rain No rain ..... [3] (b) Find the probability that it rains (i) on **both** days, Answer(b)(i) [2] (ii) on Monday but not on Tuesday, Answer(b)(ii) [2] (iii) on only one of the two days. Answer(b)(iii) [2] (c) If it does not rain on Monday and it does not rain on Tuesday, the probability that it does not rain on Wednesday is  $\frac{1}{4}$ . Calculate the probability that it rains on at least one of the three days.

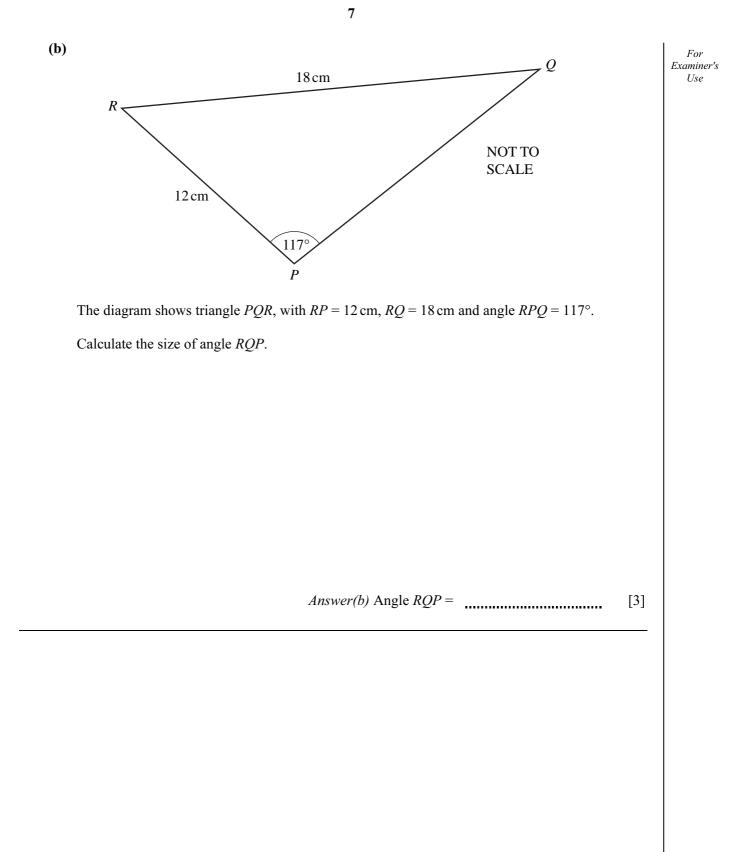
Answer(c) [3]

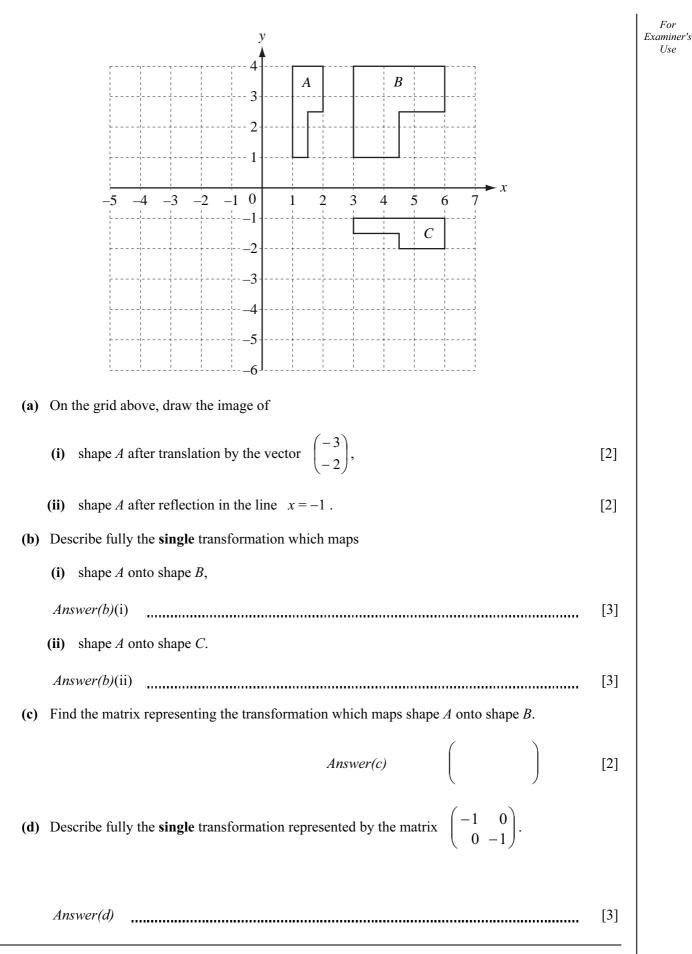
4

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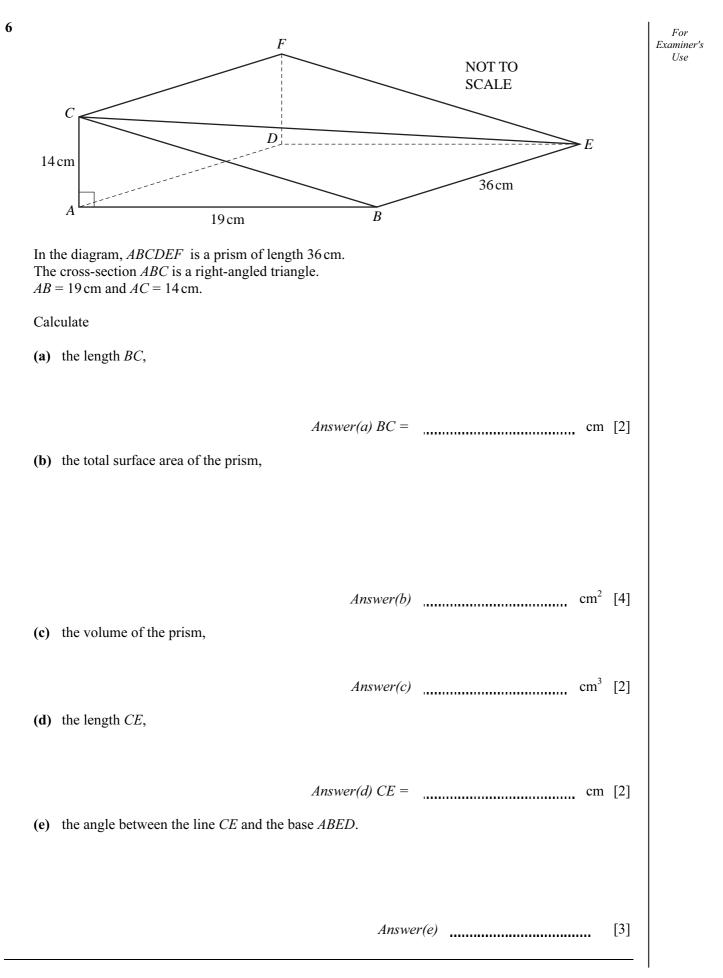




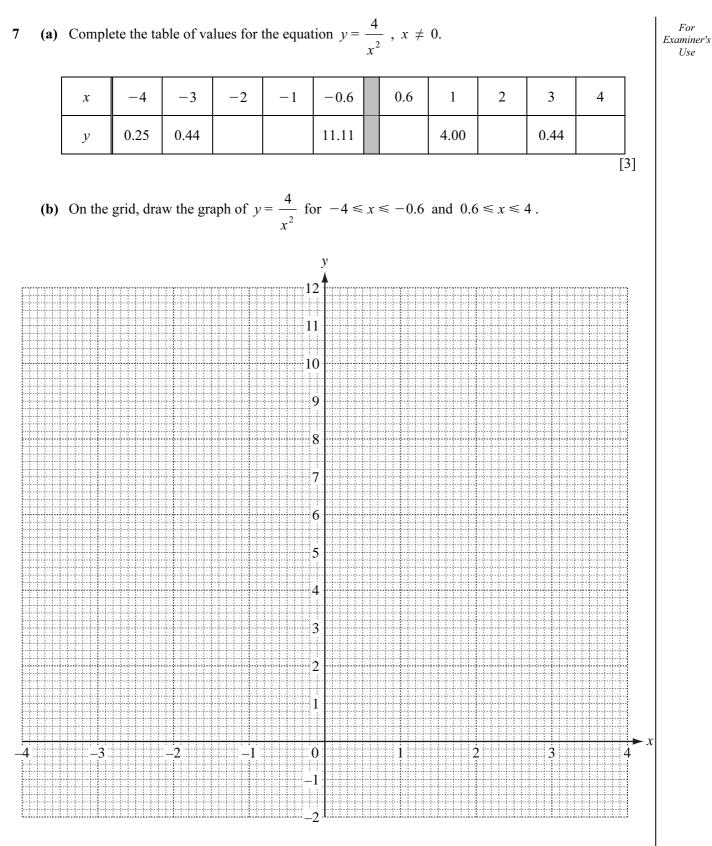




8



[Turn over



10

[5]

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(c) Use your graph to solve the equation  $\frac{4}{r^2} = 6$ . For Examiner's Use Answer(c)x = or x =[2] ..... (d) By drawing a suitable tangent, estimate the gradient of the graph where x = 1.5. Answer(d) [3] (e) (i) The equation  $\frac{4}{r^2} - x + 2 = 0$  can be solved by finding the intersection of the graph of  $y = \frac{4}{r^2}$  and a straight line. Write down the equation of this straight line. Answer(e)(i) [1] (ii) On the grid, draw the straight line from your answer to part (e)(i). [2] (iii) Use your graphs to solve the equation  $\frac{4}{r^2} - x + 2 = 0$ . Answer(e)(iii) x =[1]

11

Mark	11	12	13	14	15	16	17	18
Frequency	10	8	16	11	7	8	6	9
(a) Find the n	nean, media	an and mod	le.					
Answer(a) mean =								
					median =			
					mode =			[6]

(b) The table below shows the time (t minutes) taken by the students to complete the test.

Time ( <i>t</i> )	$0 < t \le 10$	$10 < t \le 20$	$20 < t \le 30$	$30 < t \le 40$	$40 < t \le 50$	$50 < t \le 60$
Frequency	2	19	16	14	15	9

(i) Cara rearranges this information into a new table.

Complete her table.

Time ( <i>t</i> )	$0 < t \le 20$	$20 < t \le 40$	$40 < t \le 50$	$50 < t \le 60$
Frequency				9

[2]

(ii) Cara wants to draw a histogram to show the information in part (b)(i).

Complete the table below to show the interval widths and the frequency densities.

	$0 < t \le 20$	$20 < t \le 40$	$40 < t \le 50$	$50 < t \le 60$
Interval width				10
Frequency density				0.9

[3]

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(c) Some of the students were asked how much time they spent revising for the test.

10 students revised for 2.5 hours, 12 students revised for 3 hours and *n* students revised for 4 hours.

The mean time that **these** students spent revising was 3.1 hours.

Find *n*.

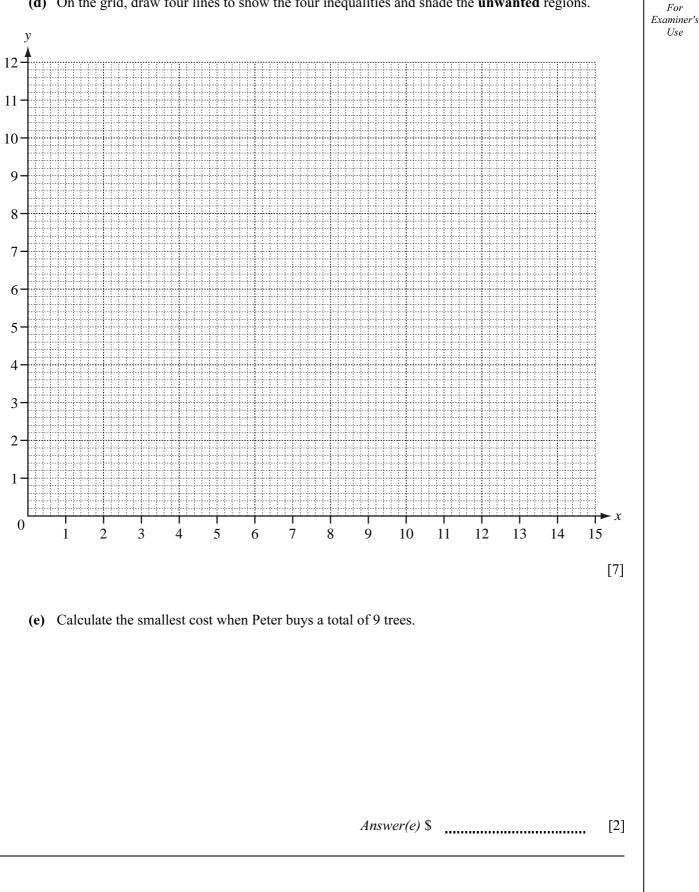
Show all your working.

Answer(c) n =[4]

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9		Peter wants to plant <i>x</i> plum trees and <i>y</i> apple trees. He wants at least 3 plum trees and at least 2 apple trees.						
		Answer(a) ,						
	(b)	There is space on his land for no more than 9 trees.						
	Write down an inequality in $x$ and $y$ to represent this condition.							
		<i>Answer(b)</i> [1]						
	(c)	Plum trees cost \$6 and apple trees cost \$14.						
		Peter wants to spend no more than \$84.						
		Write down an inequality in <i>x</i> and <i>y</i> , and show that it simplifies to $3x + 7y \le 42$ .						
		Answer(c)						

[1]



## (d) On the grid, draw four lines to show the four inequalities and shade the **unwanted** regions.

[Turn over

15

- 10 The first and the *n*th terms of sequences *A*, *B* and *C* are shown in the table below.
  - 1st term 2nd term 3rd term 4th term 5th term *n*th term  $n^3$ Sequence A 1 Sequence B 4 4*n*  $(n+1)^2$ Sequence C4 [5] (b) Find (i) the 8th term of sequence A, Answer(b)(i) [1] (ii) the 12th term of sequence C. Answer(b)(ii) [1] (c) (i) Which term in sequence A is equal to 15625? Answer(c)(i) [1] (ii) Which term in sequence C is equal to 10000? Answer(c)(ii) [1] (d) The first four terms of sequences D and E are shown in the table below. Use the results from **part (a)** to find the 5th and the *n*th terms of the sequences D and E. 1st term 2nd term 3rd term 4th term 5th term *n*th term 5 Sequence D 16 39 80 Sequence E 0 1 4 9
  - (a) Complete the table for each sequence.

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For

[4]

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